Dario Cardamone

University of Notre Dame SEA 94th Annual Meeting

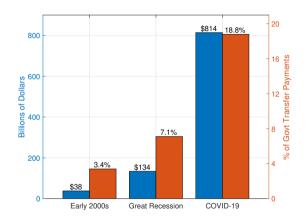


Figure 1: Tax Rebates During Economic Downturns

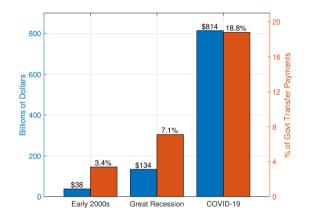


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### Aims of fiscal transfers:

- Alleviate economic hardship for households at risk
- Stimulate spending during downturns

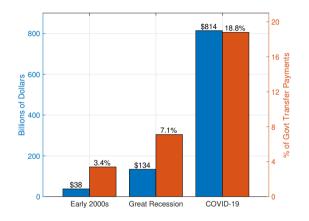


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- Policy lags (e.g., decision-making/implementation)
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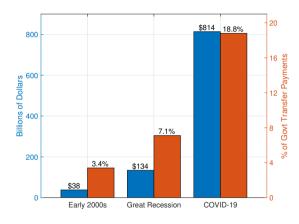


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### Implications for welfare:

Suboptimal size and timing can limit welfare gains

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- Simple, automatic rules for fiscal transfers
- Optimal design in terms of size, timing, and targeting

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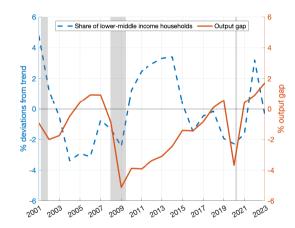
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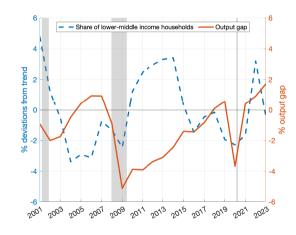
- Simple, automatic rules for fiscal transfers
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### Framework:

- Should capture well mechanisms of fiscal transfers:
  - 1. Stimulate household consumption ✓
  - 2. Provide partial insurance to households X
- THANK model (Bilbiie, 2024)

### Solution:

■ THANK with endogenous switching (new!)



# THANK with endogenous switching

### Household block:

As in the THANK model, but with endogenous switching between Savers and Hand-to-Mouth households:

$$\left[egin{array}{ccc} \mathit{Sav}_t & \mathit{HtM}_t \end{array}
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with probabilities  $h_t = f(Y_t^D)$  and  $s_t = g(Y_t^D)$  responding to changes in disposable income.

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### Log-linearized dynamics:

$$\widehat{HtM}_t = (s+h-1)\widehat{HtM}_{t-1} - (\tilde{\gamma}_s + \tilde{\gamma}_h)\Delta\hat{y}_t^D$$

**Intuition**:  $\uparrow$  disposable income leads to  $\downarrow$  in the share of HtM, for  $\tilde{\gamma}_s, \tilde{\gamma}_h > 0$  full model

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### Endogenous switching generalizes THANK:

- Probabilities of switching are **time-varying**:  $s \rightarrow s_t$  and  $h \rightarrow h_t$
- Household composition adjusts to economic shocks:  $HtM \rightarrow HtM_t$

# Welfare analysis

### Ramsey planner's social welfare:

Second-order approximation following McKay and Wolf (2023):

$$\mathscr{L} = \frac{1}{2} \sum_{t=0}^{\infty} \beta^{t} \left[ \chi_{w} \left( \pi_{t}^{w} \right)^{2} + \chi_{p} \left( \pi_{t}^{p} \right)^{2} + \chi_{y} \left( \hat{y}_{t} \right)^{2} + \chi_{s} \left( \hat{\omega}_{t}^{S} \right)^{2} + \chi_{h} \left( \hat{\omega}_{t}^{H} \right)^{2} \right]$$

where  $\hat{\omega}_t^{\mathcal{S}}$  and  $\hat{\omega}_t^{H}$  represent deviations in consumption shares for the two household types.

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where  $\hat{a}_t^S$  and  $\hat{a}_t^H$  represent deviations in consumption shares for the two household types.

### Endogenous switching matters for optimal policy:

$$\hat{\omega}_{t}^{S} \equiv \omega^{S} \left( -\delta_{\omega_{S}} \widehat{\textit{HtM}}_{t} + \hat{c}_{t}^{S} - \hat{c}_{t}^{\textit{aggr}} \right), \qquad \hat{\omega}_{t}^{H} \equiv \omega^{H} \left( \delta_{\omega_{H}} \widehat{\textit{HtM}}_{t} + \hat{c}_{t}^{H} - \hat{c}_{t}^{\textit{aggr}} \right)$$

Intuition: Consumption shares depend on relative consumption and household composition (new!)

### Government budget constraint:

$$T_t^S \cdot Sav_t - T_t^H \cdot HtM_t = 0$$

Intuition: fiscal policy is entirely financed through taxation of savers.

### Redistribution follows a simple fiscal rule:

$$\hat{t}_t^H = \eta \cdot \widehat{target}_t$$

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C.E.V.	0%	4.43%	4.45%	5.04%

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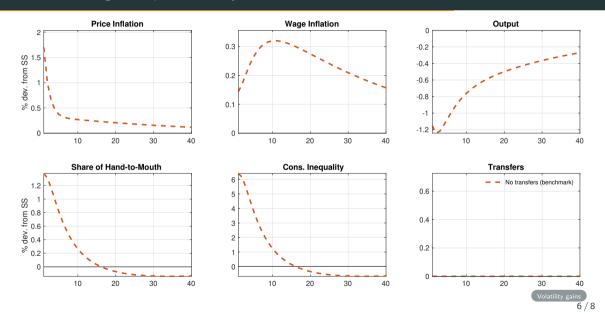
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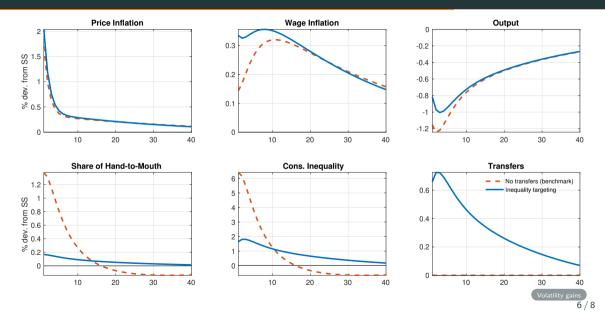
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## IRFs to a negative productivity shock



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# Assessing the optimality of COVID-19 transfer payments

Question: Was the timing and size of COVID-19 transfers payments optimal?

- 1. Replicate observed dynamics using smoothed shocks:
  - Output
  - Inflation
  - Nominal interest rate
  - Fiscal transfers (i.e., stimulus checks)
- 2. Counterfactual analysis:
  - Replace observed fiscal transfers with optimal ones derived from an inequality-targeting rule

# **COVID-19 Counterfactual: Optimal fiscal transfers**

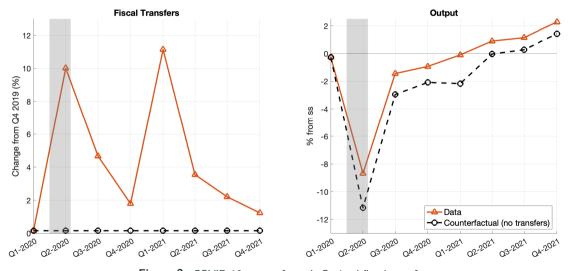


Figure 2: COVID-19 counterfactual: Optimal fiscal transfers

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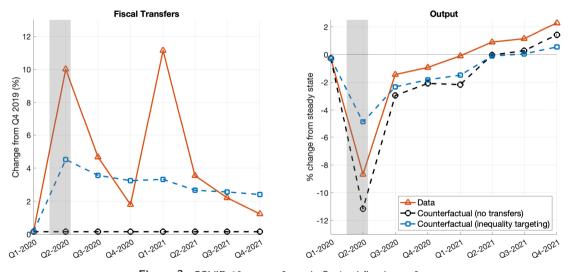


Figure 3: COVID-19 counterfactual: Optimal fiscal transfers

# Thank you!

### References

- Bilbiie, F. O. (2024). Monetary policy and heterogeneity: An analytical framework. Forthcoming, Review of Economic Studies.
- Bilbiie, F. O., Primiceri, G. E., & Tambalotti, A. (2023). Inequality and business cycles. NBER Working Paper 31729.
- McKay, A., & Wolf, C. K. (2023). Optimal policy rules in hank. Revise and Resubmit, Review of Economic Studies.

# Remaining blocks of the model

### New Keynesian block:

Labor unions: Set sticky wages to maximize expected social welfare

$$\frac{W_t^*}{P_t} = \mathcal{M}_w \left[ \frac{HtM_t}{MRS_t^H} + \frac{Sav_t}{MRS_s^S} \right]^{-1}$$

Intermediate goods producers: Choose sticky prices to maximize expected profits

$$P_t^* = \mathscr{M}_p M C_t$$

■ Central bank: Sets the nominal interest rate according to a standard Taylor rule

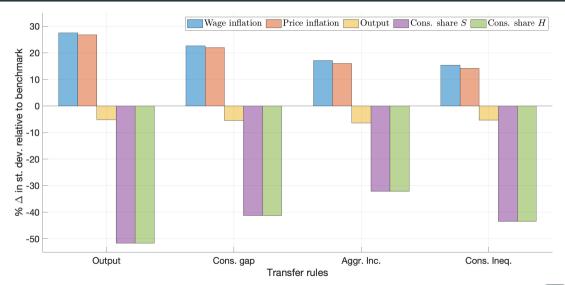
$$i_t = 
ho_i i_{t-1} + (1 - 
ho_i) (\phi_\pi \pi_t + \phi_y \hat{y}_t) + u_t^v$$

### Government:

Provides transfers to HtM agents according to a simple fiscal rule

$$\hat{t}_t^H = \eta \cdot \widehat{target}_t$$

# Volatility gains under different rules



# COVID-19 counterfactual under optimal transfers: broader effects

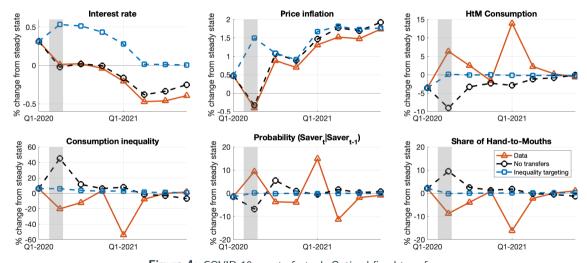


Figure 4: COVID-19 counterfactual: Optimal fiscal transfers



# Decomposing inequality and output during COVID-19

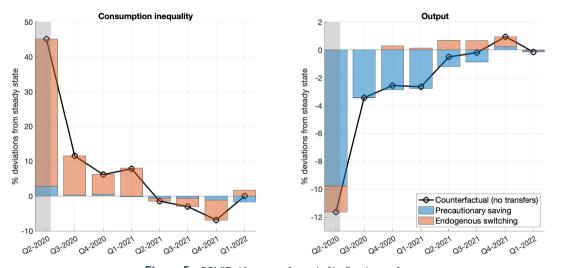


Figure 5: COVID-19 counterfactual: No fiscal transfers

